

Economics of Renewable Resources: Fisheries

Lecture 6

1. Renewable Resources

- Renewables

- Trees
 - Fish, Wildlife
 - Wine, Cheese, etc.
- Optimal harvest
- Optimal aging
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- Efficient use over time

- Rate of harvest
- Bio-economic Models
- Often Common Property Resources (Open Access)

2. Fisheries

- Physical Model of Growth – Schaefer Logistic Model for growth of species population

$$F(x) = rx\left(1 - \frac{x}{K}\right)$$

– Other forms

– Stochastic

x = Fish Stock

r = Fish species intrinsic growth rate

K = Carrying capacity

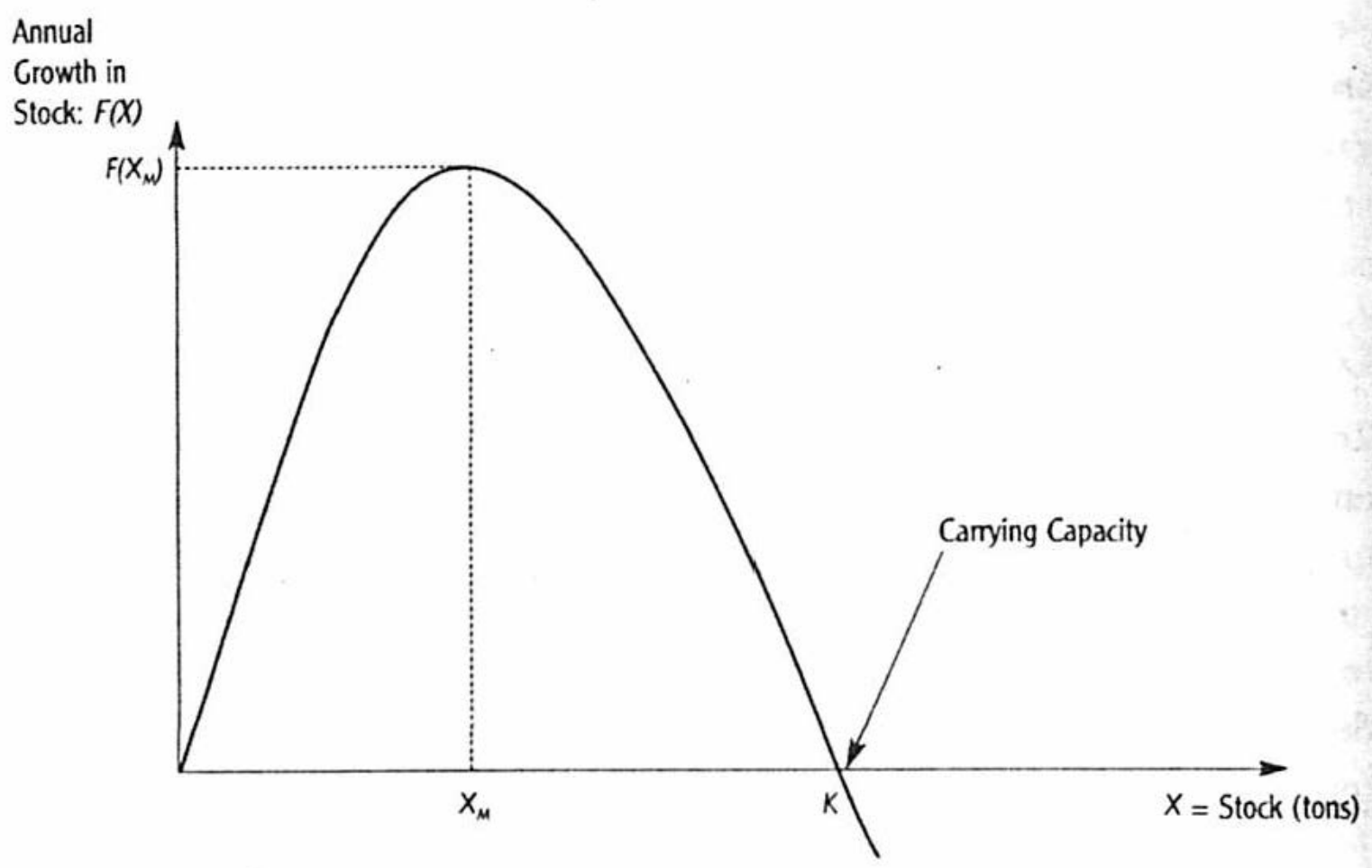


Figure 7.5 The logistic growth curve in the model of a fishery.

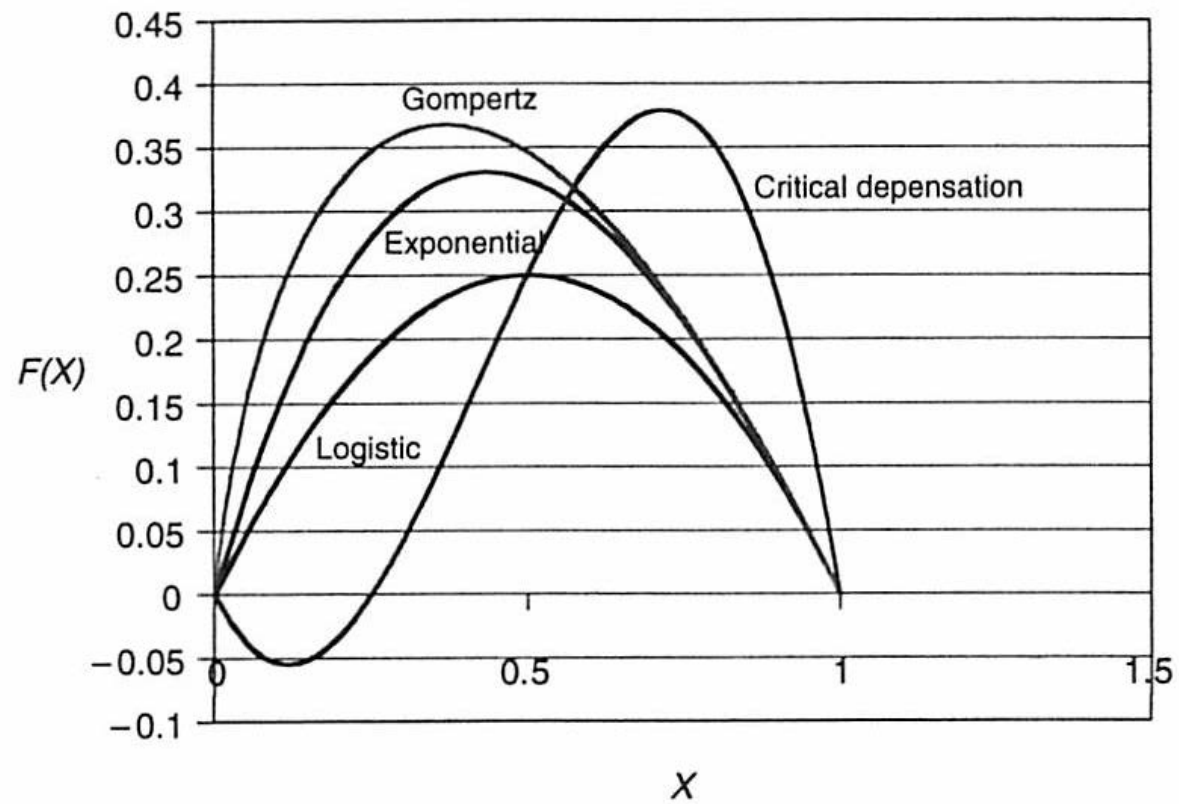


Figure 3.2. Four net biological growth functions $F(X)$.

- Steady state model

- Think of harvest growth in each period

- Yield at any level of stock will be “sustained” for ever

Biological Goal



- Maximum Sustainable Yield is $F(x_M)$ -- (MSY)

- Absent harvesting system goes to K (carrying capacity)

- Of course, there will be shocks (stochastic models)

- Yield-Effort Function

- Assume yield per unit effort is proportional to size of fish stock
- Effort can be use different units. KO uses number of boats
- Functional form for simplification ...

$$Y(E) = 10E - E^2$$

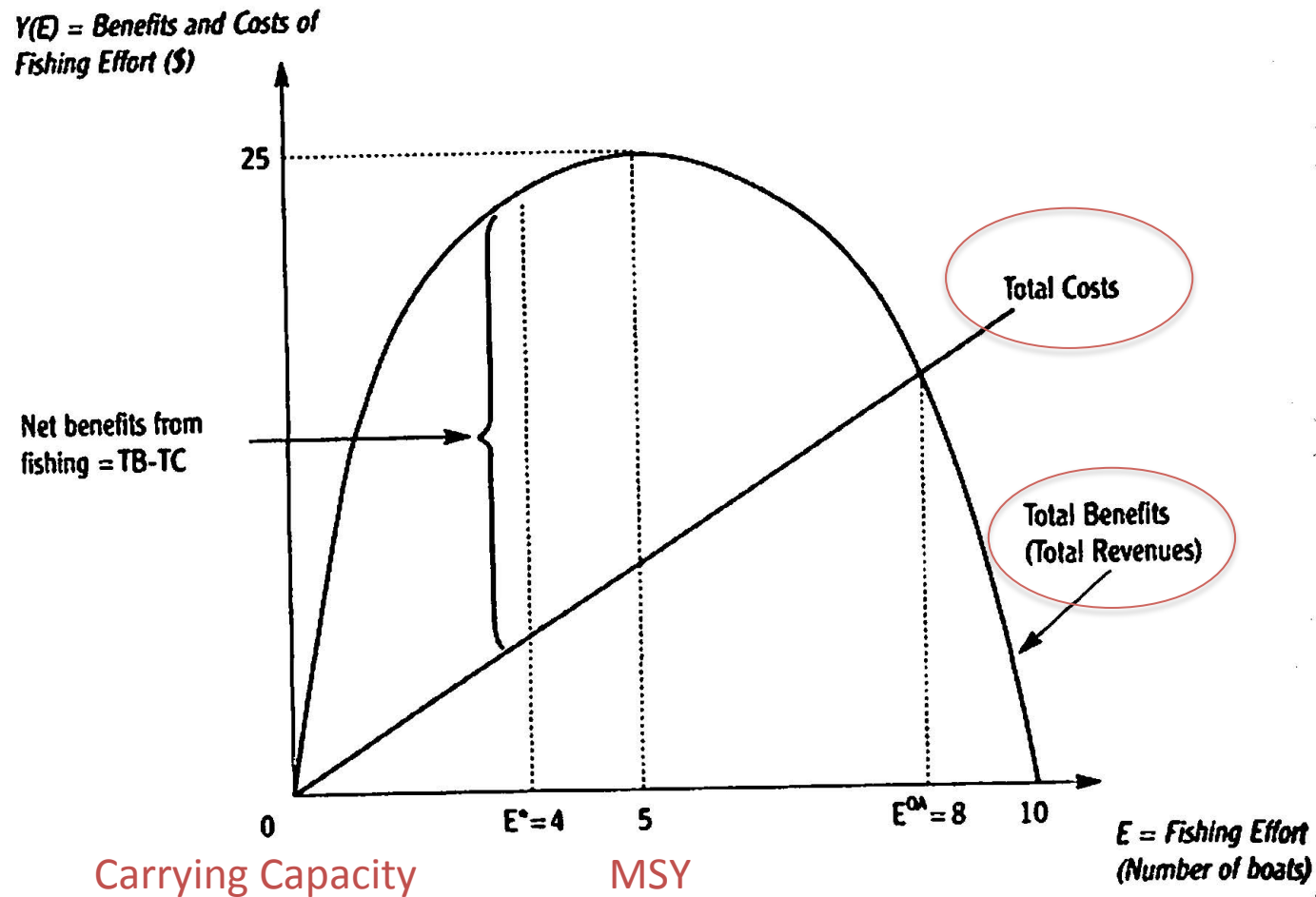


Figure 7.6 Efficiency versus open access. The efficient level of fishing effort, E^* , sets marginal cost equal to marginal benefit. In the open-access equilibrium, total costs and benefits are equal, resulting in a much higher level of effort, E^{OA} .

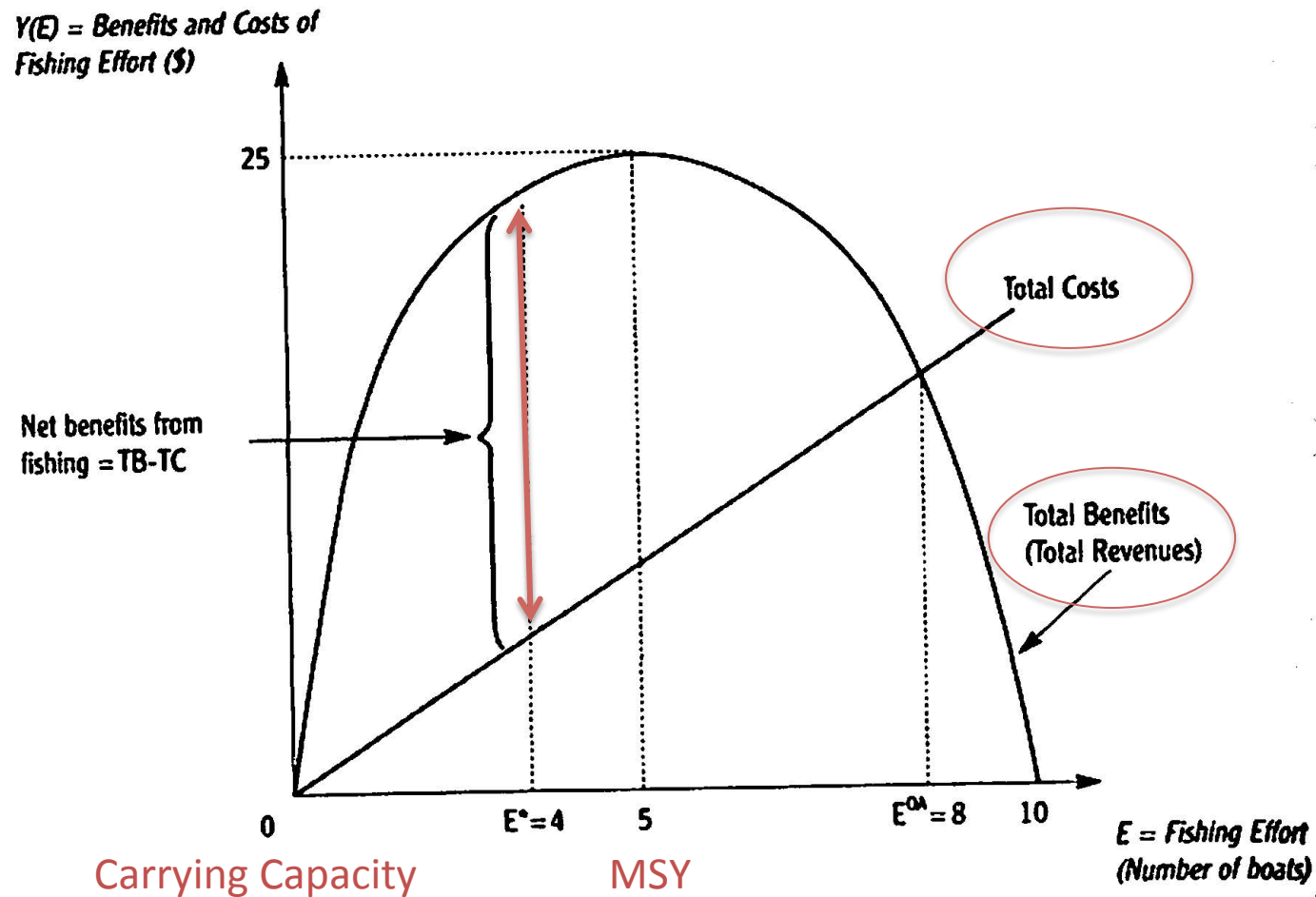


Figure 7.6 Efficiency versus open access. The efficient level of fishing effort, E^* , sets marginal cost equal to marginal benefit. In the open-access equilibrium, total costs and benefits are equal, resulting in a much higher level of effort, E^{OA} .

Comment: economic and biologic "overfishing"

- Efficient harvest
 - $E^* = 4$
 - Where $MB = MC$ or net benefits are max
 - Stock level greater than MSY
 - Recall steady state

- Open access harvest
 - $E^{OA} = 8$
 - Where $TB = TC$
 - “Rents” are dissipated
 - CPR externality
 - Again, no property rights
 - Overfishing



Actors generate costs external to transactions between buyers and sellers.

- Regulations

- Gear restrictions
- Area restrictions
- Size restrictions
- Closed seasons
- Limited entry
- ITQ preview ...



Rents still
dissipated.
Stories.

- Open Access vs. Common Property
 - Open access implies no restriction on entry and extraction
 - Common Property implies formal or informal institutional arrangements to control entry
 - Explicit rules
 - Social norms
 - Restaurant example
 - Economic gains → incentives to find cooperative solutions

- General Model

- Maximizing the present value of net benefits over an infinite horizon:

Choose vector y_t for $t = 1, \dots, T$ over time to

$$\text{Max } \pi = \sum_{t=0}^{\infty} \rho^t \pi(x_t, y_t)$$

$$\text{s.t. } x_{t+1} - x_t = F(x_t) - y_t$$

given $x_0 > 0$.

x_t = stock of fish in time t

y_t = harvest in time t

ρ^t = discount term

$F(x_t)$ = natural growth function

– First order conditions imply ...

$$F'(x) + \frac{\partial \pi(\cdot) / \partial x}{\partial \pi(\cdot) / \partial y} = \delta$$

Marginal net growth rate

Marginal stock effect

Discount rate

Resource's rate of return

The diagram illustrates the first-order condition equation: $F'(x) + \frac{\partial \pi(\cdot) / \partial x}{\partial \pi(\cdot) / \partial y} = \delta$. Three arrows point to the terms in the equation: one from 'Marginal net growth rate' to $F'(x)$, one from 'Marginal stock effect' to the fraction $\frac{\partial \pi(\cdot) / \partial x}{\partial \pi(\cdot) / \partial y}$, and one from 'Discount rate' to δ . A horizontal bracket below the equation spans the width of the left-hand side and is labeled 'Resource's rate of return'.